

Math I UNIT 3 OVERVIEW: Two Variable Equations & Functions

Unit Outcomes	Key Vocabulary
At the end of this unit, your student should be able to:	Terms to deepen the student's understanding
 Construct models of functions using graphs, equations, and tables Use function notation and interpret statements that use function notation in terms of their context Describe the real world meaning of the domain of a function Calculate and interpret the average rate of change of a function from a graph, table or an equation Write a function that describes a relationship between two quantities 	 ✓ Domain ✓ Explicit Equation ✓ Input ✓ Iteration ✓ Output ✓ Range ✓ Recursive Equation ✓ Relation ✓ Sequence ✓ Function
Koy Standards Addressed	✓ Vertical Line Test
Connections to Common Core/NC Essential Standards	Connections to prior and future learning
8.F.1 Understand that a function is a rule that assigns to each input exactly one output.	Coming into this unit, students should have a strong foundation in:
 8.F.5 Describe qualitatively the functional relationship between two quantities by analyzing a graph N-Q.1 Use units as a way to understand problems and to guide the solution of multi-step problems; choose and interpret units consistently in formulas; choose and 	 ✓ Operations with integers ✓ Solving 1 variable equations ✓ Plotting points on a coordinate plane ✓ Basic knowledge of exponents
interpret the scale and the origin in graphs and data displays.	This unit builds to the following future skills and concepts:
A-REI.10 Understand that the graph of an equation in two variables is the set of all its solutions plotted in the coordinate plane	 ✓ Solving linear, quadratic, & exponential equations ✓ Solving systems of equations and inequalities through graphing ✓ Graphing and analyzing more complex functions
F-IF.1 Understand that a function from one set (called the domain) to another set (called the range) assigns to each element of the domain exactly one element of the range	 (including inverse, step, exponential, absolute value, trigonometric and logarithmic functions) ✓ Using regression lines to predict linear, quadratic and exponential models
F-IF.2 Use function notation, evaluate functions for inputs in their domains, and interpret statements that use function notation in terms of a context. <i>Note: At this level,</i> <i>the focus is linear and exponential functions.</i>	
F-IF.3 Recognize that sequences are functions, sometimes defined recursively, whose domain is a subset of the integers. For example, the Fibonacci sequence is defined recursively by $f(0) = f(1) = 1$, $f(n+1) = f(n) + f(n-1)$ for $n \ge 1$.	



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F-IF.4 For a function that models a relationship between two quantities, interpret key features of graphs and tables in terms of the quantities, and sketch graphs showing key features given a verbal description of the relationship. <i>Key</i> <i>features include: intercepts; intervals where the function is</i> <i>increasing, decreasing, positive, or negative; relative</i> <i>maximums and minimums; symmetries; end behavior; and</i> <i>periodicity. Note: At this level, focus on linear, exponential</i> <i>and quadratic functions; no end behavior or periodicity.</i>	
F-IF.5 Relate the domain of a function to its graph and, where applicable, to the quantitative relationship it describes. For example, if the function h(n) gives the number of person-hours it takes to assemble n engines in a factory, then the positive integers would be an appropriate domain for the function. Note: At this level, focus on linear and exponential functions	
F-IF.6 Calculate and interpret the average rate of change of a function (presented symbolically or as a table) over a specified interval. Estimate the rate of change from a graph. <i>Note: At this level, focus on linear functions and</i> <i>exponential functions whose domain is the subset of</i> <i>integers</i>	
F-BF.1 Write a function that describes a relationship between two quantities	
F-BF.3 Identify the effect on the graph of replacing $f(x)$ by $f(x) + k$, $k f(x)$, $f(kx)$, and $f(x + k)$ for specific values of k (both positive and negative); find the value of k given the graphs	
Additional Resources	"Learning Checks"
Materials to support understanding and enrichment	Questions Parents Can Use to Assess Understanding
 <u>reaching videos made by wake county teachers</u> <u>WCPSS YouTube Channel – Math Playlist</u> <u>Rate of change/slope overview (video)</u> <u>Finding rate of change from a graph (practice)</u> <u>Domain and range overview (video)</u> <u>Finding domain and range (practice)</u> <u>Determining if a relation is a function (practice)</u> <u>Determining if a graph is a function (practice)</u> <u>Rate of change (formative assessment)</u> 	 How can the relationship between two quantities be described or represented? How are the key features such as rate of change identified, described, and interpreted from different representations of functions? How do you decide which representations of a function are most useful for solving problems in different mathematical and real world settings?

* Please note, the unit guides are a work in progress. If you have feedback or suggestions on improvement, please feel free to contact wakemiddle@wcpss.net.